

# Ultrafast Spin Dynamics

Adrian Glaubit

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- Ultrafast Spin Dynamics deals with very fast changes ( $\leq 10^{-12}\text{s}$ ) in magnetization
- Can be triggered in pump-probe-experiments with femto-second-lasers
- Allows to control (change) magnetization on small length-scales and short time-scales

⇒ GOALS:

- Better understanding of important magnetic interactions like magnetic anisotropy, atomic spin-orbit interaction, interatomic magnetic exchange
- Satisfy the demand for “smaller and faster” in high-tech electronics (e.g. data-storage)

## Model of Magnetisation

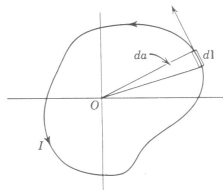
Magnetization is a property of some materials to exhibit a magnetic-field; it is defined as the magnetic moment per volume:

$$\vec{M} = \frac{\partial \vec{\mu}}{\partial V} \quad (1)$$

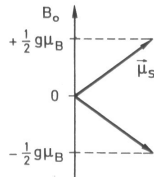
Magnetic moment is classically induced by a moving charge on a closed circuit

$$\vec{m} = \frac{1}{2} \oint \vec{x} \times d\vec{l} \quad (2)$$

In electronic systems on the atomic scale, magnetic moments exist, when the total angular-momentum  $\vec{J}$  is non-zero; both the orbital angular-momentum  $\vec{L}$  and the spin  $\vec{S}$  contribute to  $\vec{J}$ .



Simple model of a magnetic moment due to a circuit-loop



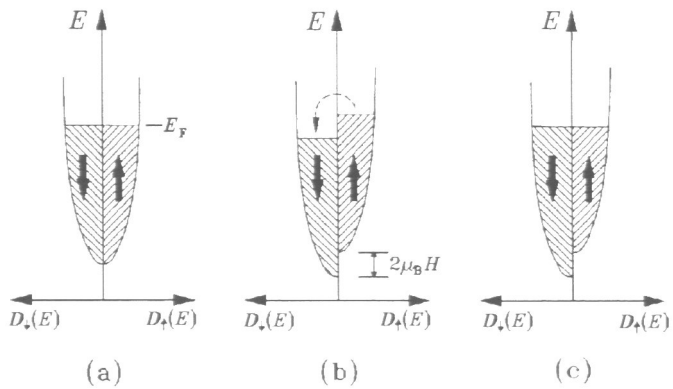
Electronic spin-momentum

## Pauli-Magnetism

- refers to the small magnetic moment ( $10^{-4}\mu_B$  per atom) that is induced by an external **H**-field
- the external magnetic field causes an *imbalance* of spin-up and spin-down conduction electrons; thus the magnetic moment can be calculated from absolute difference of number of spin-up and spin-down:

$$m = \mu_B \cdot (N^{up} - N^{down}) \quad \text{where} \quad N^{up} - N^{down} = 2\mu_B HD(E_F) \quad (3)$$

- is temperature independant



## Different time-scales of magnetization

Magnetization changes on different time-scales depending on the circumstances

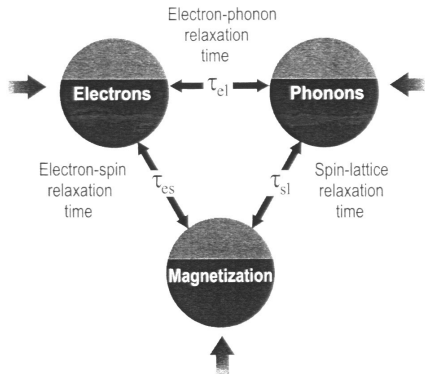
- $10^6$  years: earth field (geomagnetism)
- $10^1$  years: magnetic storage devices (tape, disk)
- $10^{-3} - 10^{-6}$  seconds: electronic circuits (coils, antennas)
- $10^{-9}$  seconds: read-write-heads of harddisks
- $10^{-12} - 10^{-15}$  seconds: **Ultrafast Spin Dynamics**

The magnetization of a solid-state can be changed to due:

- Temperature
- external magnetic fields
- external mechanical force

The reason for having several ways of change is that the respective heat reservoirs couple with each other:

- electrons couple with the spins due to the spin-orbit-coupling
- phonons and electrons couple due lattice deformation
- magnetization couples with spins over spin-wave-scattering



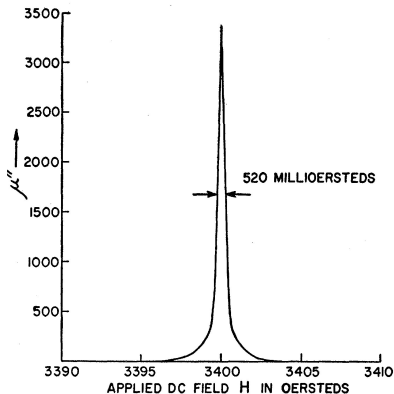
Heat reservoirs in a ferromagnetic metal



## Excitation via the electronic heat-reservoir

- The electronic reservoir is a **degenerate electron gas** with heat-capacity  $C \ll 1$ . It is usually excited with a LASER and since  $C$  is very small,  $T$  rises rapidly to  $> 1000\text{K}$ .
- The gas cools down quite quickly though by exciting lattice-vibrations.
- Magnetization now changes, once  $T > T_C$  (Curie-Weiss-law). Experiments show that the heat-capacity of the magnetization has a peak at  $T = T_C$ , thus changing the magnetization with heat is a 1st-order phase-transition.

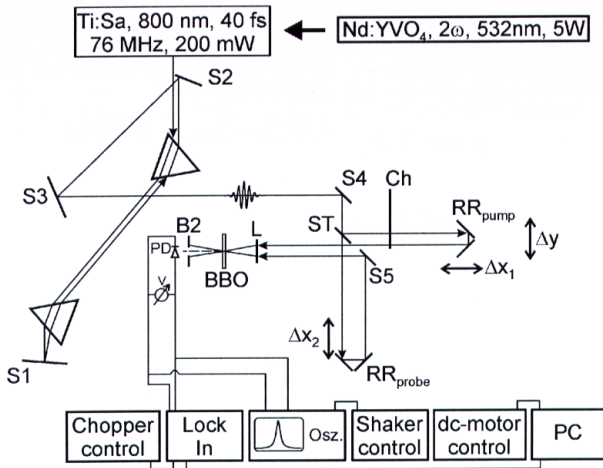
## Excitation directly with a magnetic field



- when a short magnetic-field pulse is applied externally, the magnetization moves out its equilibrium and starts to precess around the axis of the external field
- since the total angular momentum needs to be conserved, the magnetic field experiences a torque opposite but equal to the precessional torque applied into the spin-system
- after the field-pulse is gone, the magnetization starts to precess around the *anisotropy axis*
- the energy and momentum absorbed by the spin-system is ultimately transferred to the lattice, exciting phonons
- relaxation time of spin-system into equilibrium is proportional to the FMR-line-width

## How to induce fast magnetization

- Magnetization on such a short time-scale can only be induced, if the source of induction itself is very fast (short pulse)
- this can only be achieved by using **femto-second-lasers**
- a high-energy pump-pulse is sent into thin-magnetic films to ensure homogenous deposition of energy
- such a Laser excites the electronic heat-reservoir; to excite phonons one must use IR-band-LASERS



## Probing magnetization

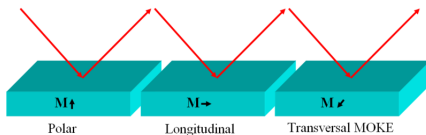
- after excitation we want to measure how magnetization has changed
- an important requirement of the probing is that it does not alter the magnetization induced with the pump-pulse; thus the probe-pulse needs to be small in amplitude so that it won't deposit additional energy
- also the probe pulse should laterally confined to the region excited

## Popular methods for probing

- Optical measurement of the spin with Magneto-Optic Kerr-Effect (MOKE)
- Measurement via spin-detection of photoelectrons
- X-ray dichroism employing tunable synchrotron radiation with polarized X-ray (not discussed)

## Magneto-optic Kerr effect (MOKE)

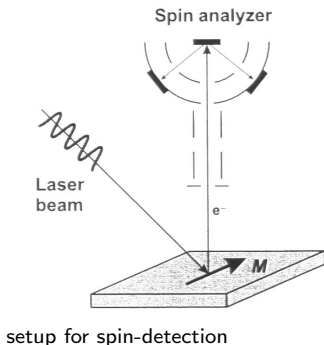
The magneto-optic Kerr-effect is well known method to measure the magnetization of a sample optically; it is quite mature and already widely used in technology



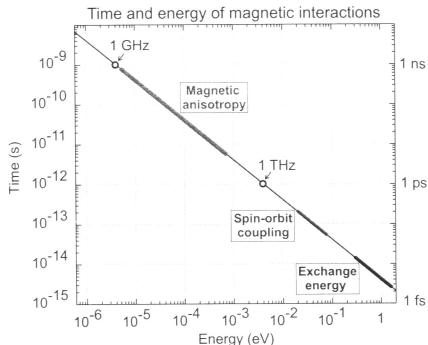
A polarized light-beam is directed onto the sample and reflected; the polarization will change by a few degrees allowing to determine magnetization of the sample

Today widely used in Magneto-Optical storage devices

## By measuring the spin of Photoelectrons



- high-energy ultra-violet photon pulses excite photoelectrons
- the spin-polarization  $\mathbf{P}$  of the photo-electrons is *statistically* parallel to the magnetization
- since one *cannot* select the photoelectrons emitted, the measurement has to be cycled several times;  $\mathbf{P}$  will be statistically distributed according to the magnetization
- time-resolution is mainly limited by optical absorption, thus the pulse-length of the of the probing UV-pulse sets the time-span (other processes such as the transport of the photoelectrons to the surface and detector occur instantanously)



Many interesting interactions and phenomena on atomic-scale are in the time-scale of  $10^{-12} - 10^{-15}$  s; thus they can be examined with USD-methods

- magnetic anisotropy ( $10^{-6} \leq 10^{-3}$  eV):
- atomic spin-orbit coupling energy ( $10^{-2} \leq 10^{-1}$  eV)
- interatomic exchange energy ( $E \approx 3 \times 10^{-1}$  eV)

The time-scales are plotted using  $t = \frac{\hbar}{E}$

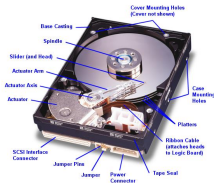


## Switching the Magnetization

Switching the magnetization refers to the process of completely rotating the magnetization by  $180^\circ$ , from one parallel orientation to the easy axis to another.

This technique is used in magnetic (computer) storage devices such as hard-disks.

Primary requirement is a stable switching, so that the magnetization remains in its new position for a lasting time. The flip-time is not so important, since reading takes place much later than writing.



## Switching with a **H**-field

- switching with a (Oersted) **H**-field is the classical method to change magnetization
- a magnetic field anti-parallel to the magnetization is applied, so that the spins will flip into the direction parallel to the external field
- switching can only occur though, when the magnetization has been excited thermally before so that **M** moves out of its easy-axis (if **M** is perfectly anti-parallel to **H** the field cannot act on it - similar to NMR-measurements)
- since the change of angle between **H** and **M** involves a momentum-transfer to the lattice ( $\approx 100$  ps), this process is speed-limited in the spin-lattice relaxation time

## Switching with spin-injection

a newer, sophisticated method for changing  $\mathbf{M}$  is by injecting a spin-polarized electron current

this method directly acts a angular-momentum on the spins in the lattice, so the speed-limitation is only given by the duration and amplitude of the injection pulse

thus the spin-lattice-bottleneck is avoided, allows switchting on femto-second-scale  
switchting with spin-injection is very difficult, since it requires optimum angle between  $\mathbf{M}$  and spin of injected current, faster switching also requires higher currents, so power-considerations have to be made in devices

## Summary and Conclusion

- Ultra-fast spin dynamics deals with changes in magnetization on a time-scale  $10^{-12} - 10^{-15}$
- such fast changes in magnetization are interesting for examination of fast magnetic interactions on the atomic-scale (spin-orbit-coupling, interatomic exchange etc)
- are usually induced and probed with femtosecondlasers (probing is also done with MOKE)
- on the technological hand ultra-fast spin-dynamics are necessary to develop faster and smaller (higher data density) storage media (magnetic switches)

## References



Chpater 15: Ultrafast Magnetization Dynamics



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